Q1 Block Ciphers

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(0 points)

Consider the following block cipher mode of operation.

 M_i is the *i*th plaintext block. C_i is the *i*th ciphertext block. E_K is AES encryption with key K.

 $C_0 = M_0 = IV$ $C_i = E_K(M_{i-1} \oplus M_i)$



Q1.1 Which of the following is true about this scheme? Select all that apply.

 \Box (A) The encryption algorithm is parallelizable

 \square (B) If one byte of a plaintext block M_i is changed, then the corresponding ciphertext block C_i will be different in exactly one byte

 \square (C) If one byte of a plaintext block M_i is changed, then the next ciphertext block C_{i+1} will be different in exactly one byte

 \Box (D) If two plaintext blocks are identical, then the corresponding ciphertext blocks are also identical

 $\hfill\square$ (E) The encryption algorithm requires padding the plaintext

 \Box (F) None of the above

Q1.2 TRUE or FALSE: If the IV is always a block of all 0s for every encryption, this scheme is IND-CPA secure. Briefly justify your answer.

O(G) True	O (H) False	(I) ——	(J)	(K)	(L)

Q1.3 TRUE or FALSE: If the IV is randomly generated for every encryption, this scheme is IND-CPA secure. Briefly justify your answer.

O (A) True	O (B) False	O (C)	(D)	(E)	(F) —

Q2 IV-e got a question for ya

(0 points)

Determine whether each of the following schemes is IND-CPA secure. This question has 6 subparts.

Q2.1 AES-CBC where the IV for message M is chosen as HMAC-SHA256 (k_2, M) truncated to the first 128 bits. The MAC key k_2 is distinct from the encryption key k_1 .

Provide a short justification for your answer on your answer sheet.

O (A) Insecure	(C)	(E)
O (B) Secure	(D)	(F)

Q2.2 AES-CTR where the IV for message M is chosen as HMAC-SHA256 (k_2, M) truncated to the first 128 bits. The MAC key k_2 is distinct from the encryption key k_1 .

Provide a short justification for your answer on your answer sheet.

Clarification made during the exam: You can assume that IV refers to the nonce for CTR mode.

O(G) Insecure	(I) ——	(K)
O (H) Secure	(J) ——	(L)

Q2.3 AES-CBC where the IV for message M is chosen as SHA-256(x) truncated to the first 128 bits. x is a predictable counter starting at 0 and incremented *per message*.

(A) Insecure	(C) —	(E)
O (B) Secure	(D)	(F)

Q2.4 AES-CTR where the IV for message M is chosen as SHA-256(x) truncated to the first 128 bits. x is a predictable counter starting at 0 and incremented *per message*.

Clarification made during the exam: You can assume that IV refers to the nonce for CTR mode.

O (G) Insecure	(I) ——	O (K) ——
O (H) Secure	(J)	(L)

Q2.5 AES-CBC where the IV for message M is chosen as HMAC-SHA256 $(k_2 + x, M)$ truncated to the first 128 bits. The MAC key k_2 is distinct from the encryption key k_1 and x is a predictable counter starting at 0 and incremented *per message*.

O (A) Insecure	(C) —	(E)
O (B) Secure	(D)	(F)

Q2.6 AES-CTR where the IV for message M is chosen as HMAC-SHA256 $(k_2 + x, M)$ truncated to the first 128 bits. The MAC key k_2 is distinct from the encryption key k_1 and x is a predictable counter starting at 0 and incremented *per message*.

Clarification made during the exam: You can assume that IV refers to the nonce for CTR mode.

O (G) Insecure	(I) ——	(K)
O (H) Secure	(J) —	(L)

Q3 Encryption and Authentication

(0 points)

Alice wants to send messages to Bob, but Mallory (a man-in-the-middle attacker) will read and tamper with data sent over the insecure channel.

- Alice and Bob share two secret keys K_1 and K_2
- K_1 and K_2 have not been leaked (Alice and Bob are the only people who know the keys)
- Enc is an IND-CPA secure encryption scheme
- MAC is a secure (unforgeable) MAC scheme

For each cryptographic scheme, select all true statements.

Clarification during exam: For the answer choice "Bob can always recover the message M," assume that Mallory has not tampered with the message.

Clarification during exam: The answer choice "Bob can guarantee that M has not been changed by Mallory," this should say "Bob can guarantee that M has not been changed by Mallory without detection."

Q3.1 $\operatorname{Enc}(K_1, M), \operatorname{MAC}(K_2, M)$

 \square (A) Bob can guarantee M is from Alice

 \square (B) Bob can guarantee that M has not been changed by Mallory

 \Box (C) Mallory cannot read M

 \Box (D) Bob can always recover the message M

 \Box (E) None of the above

 \Box (F) —

Q3.2 $Enc(K_1, M), MAC(K_2, Enc(K_1, M))$

 \square (G) Bob can guarantee M is from Alice

 \Box (H) Bob can guarantee that M has not been changed by Mallory

 \Box (I) Mallory cannot read M

 \Box (J) Bob can always recover the message M

 \Box (K) None of the above

(L) -----

Q3.3 $Hash(M), MAC(K_1, M)$

 \square (A) Bob can guarantee M is from Alice

 $\hfill\square$ (B) Bob can guarantee that M has not been changed by Mallory

 \square (C) Mallory cannot read M

 \Box (D) Bob can always recover the message M

 \Box (E) None of the above

 \Box (F) —

Q3.4 To simplify their schemes, Alice and Bob decide to set $K_1 = K_2$. (In other words, K_1 and K_2 are the same key.) Does this affect the security of their cryptographic schemes?

O (G) Yes, because they should always use a different key for every algorithm

O (H) Yes, because they should always use a different key for every message

(I) No, because the encryption and MAC schemes are secure.

O(J) No, because the keys cannot be brute-forced.

(K) -----

(L) -----